

Strength Design

- TMS Chap 9

Frank Lloyd Wright's iconic Ennis House sells for a record-setting \$18 million



By Alexander Walter

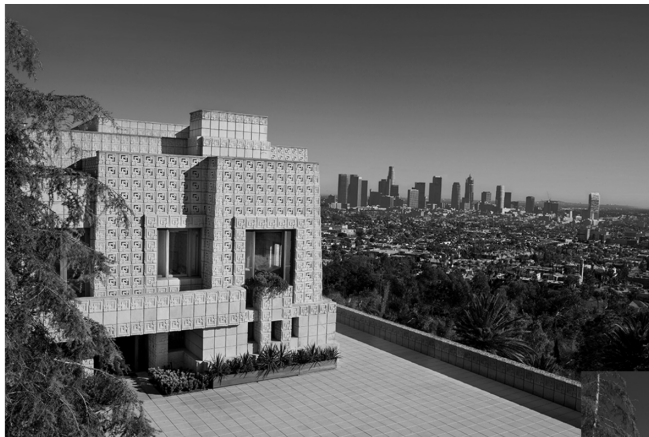
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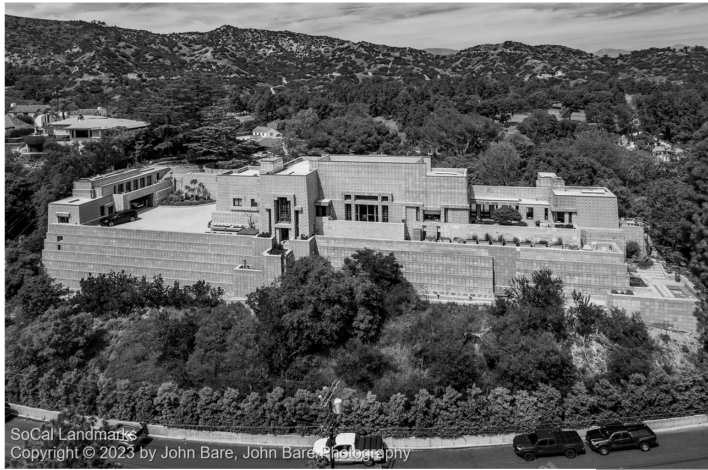
Photo: Mary E. Nichols, via Realtor.com

“After an incredible publicity blitz and well over a year on the market, Frank Lloyd Wright’s world-renowned Ennis House — tucked into the foothills of Los Feliz [...] — has sold for \$18 million to an as-yet-unidentified buyer. That number, while significantly below the \$23 million ask, ranks it as the priciest Wright-designed home ever sold, easily eclipsing the previous high-water mark set by the Storer House in nearby Hollywood Hills, which was purchased in 2013 for \$6.8 million [...] — Variety

Ennis House – Frank Lloyd Wright



Ennis House – Frank Lloyd Wright



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Masonry

Slide 3 of 35

Ennis House – Frank Lloyd Wright



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Slide 4 of 35

Ennis House – Frank Lloyd Wright



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Slide 5 of 35

Design Options

Empirical

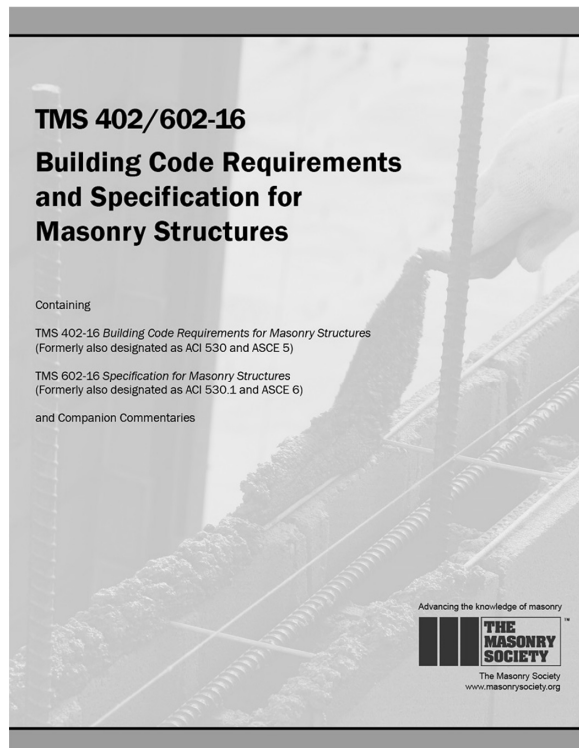
- TMS 402 Appendix A

Allowable Stress Design (ASD)

- TMS 402 Chap. 8

Strength Design

- TMS 402 Chap. 9



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Slide 6 of 35

Design Options

Empirical

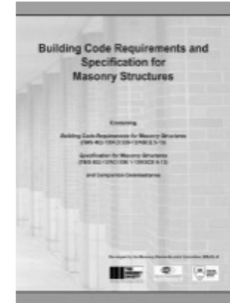
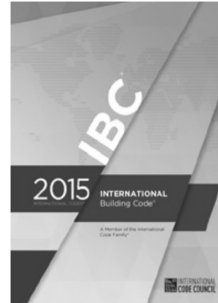
- TMS 402 Appendix A

Allowable Stress Design (ASD)

- TMS 402 Chap. 8

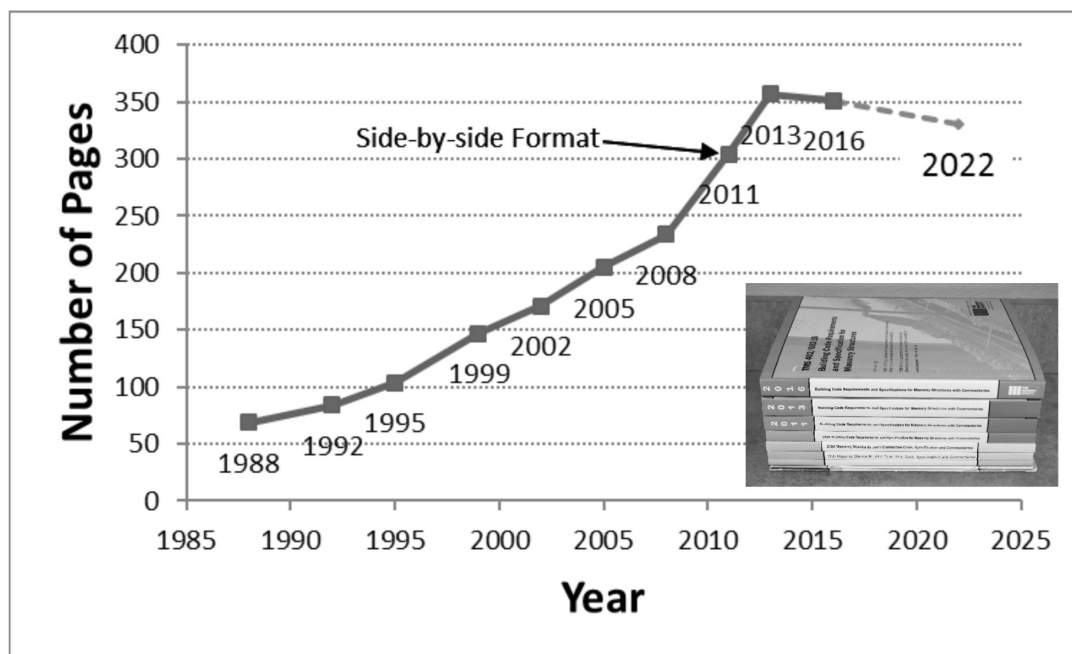
Strength Design

- TMS 402 Chap. 9
- IBC Section 2108
 - mostly references TMS 402
 - steel development length capped at $72 d_b$
 - Mechanical and welded splices



TMS 402

Development



TMS 402 Chapter 9

9.1 General

9.1.1 Scope

9.1.2 Required strength

9.1.3 Design strength

9.1.4 Strength-reduction factors

9.1.5 Deformation requirements

9.1.6 Anchor bolts embedded in grout

9.1.7 Shear strength in Multiwythe elements

9.1.8 Nominal bearing strength

9.1.9 Material properties



TMS 402 Chapter 9

Strength Design Method

Strength Required by Loads < Strength of Masonry

$$\gamma P_u < \phi P_n$$

- 1.4 D
- 1.2 D + 1.6 Lr + 0.5(Lr or S)
- 1.2 D + 1.6(Lr or S) + (L or 0.5W)
- 1.2 D + 1.0W + L + 0.5(Lr or S)
- 0.9D + 1.0W
- 1.2D + Ev + Eh + L + 0.2S
- 0.9D - Ev + Eh

(Equation 9-11) for $h/r < 99$

$$P_n = 0.80 \left\{ 0.80 A_n f'_m \left[1 - \left(\frac{h}{140r} \right)^2 \right] \right\}$$

(Equation 9-12) for $h/r > 99$

$$P_n = 0.80 \left[0.80 A_n f'_m \left(\frac{70r}{h} \right)^2 \right]$$

TMS 402 Chapter 9

9.1.4 Strength-reduction factors, ϕ

Action	Reinforced Masonry	Unreinforced Masonry
combinations of flexure and axial load	0.90	0.60
shear	0.80	
bearing	0.60	
anchor bolts: pryout	0.50	
anchor bolts: controlled by anchor bolt steel	0.90	
anchor bolts: pullout	0.65	

TMS 402 Chapter 9 Strength Design $P_u \leq \phi P_n$

Section 9.2 Unreinforced (plain) masonry

9.2.1 Scope

9.2.2 Design criteria (uncracked)

9.2.3 Design assumptions

- strain proportional to distance from N.A.
- flexural tension proportional to strain
- flexural comp. + axial comp. proportional to strain
- stresses in reinforcement are not accounted for

$$f_t = \frac{Mc}{I} - \frac{P}{A}$$

9.2.4 Nominal flexural and axial strength

- compressive stress $\leq 0.80 f'_m$
- tensile stress $\leq f_r$

(Equation 9-11) for $h/r < 99$

$$P_n = 0.80 \left\{ 0.80 A_n f'_m \left[1 - \left(\frac{h}{140r} \right)^2 \right] \right\}$$

9.2.5 Axial tension

- tension resistance shall be neglected

(Equation 9-12) for $h/r > 99$

9.2.6 Nominal shear strength

$$(3.8 A_{nv} \sqrt{f'_m} \text{ or } 300 A_{nv})$$

$$P_n = 0.80 \left[0.80 A_n f'_m \left(\frac{70r}{h} \right)^2 \right]$$

TMS 402 Chapter 9

Table 9.1.9.2 Modulus of Rupture

Masonry Type	Mortar Type			
	Portland cement/lime or mortar cement		Masonry Cement	
	M or S	N	M or S	N
Normal to Bed Joints				
Solid Units	133	100	80	51
Hollow Units ¹				
UngROUTed	84	64	51	31
Fully Grouted	163	158	153	145
Parallel to bed joints in running bond				
Solid Units	267	200	160	100
Hollow Units				
UngROUTed and partially grouted	167	127	100	64
Fully grouted	267	200	160	100
Parallel to bed joints not laid in running bond				
Continuous grout section parallel to bed joints	335	335	335	335
Other	0	0	0	0

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Masonry

Slide 13 of 35

Reinforced Masonry Analysis - procedure for axial compression using TMS 402 (2016) Strength Design (LRFD) – **non-reinforced**

Given: applied load, geometry, material

Find: axial compressive load capacity, P_n

1. Determine the masonry strength, f'_m , based on unit strength, f_u , and mortar type
2. Find the net area, A_n , and r (see TEK 14-1B)
3. Calculate h/r
4. Choose the axial strength equation, P_n :
If $h/r < 99$ use TMS 402 eq.9-11
If $h/r > 99$ use TMS 402 eq.9-12
5. Calculate ϕP_n where ϕ for axial force = 0.60
6. Check that ϕP_n is greater than P_u .

(Equation 9-11) for $h/r < 99$

$$P_n = 0.80 \left\{ 0.80 A_n f'_m \left[1 - \left(\frac{h}{140r} \right)^2 \right] \right\}$$

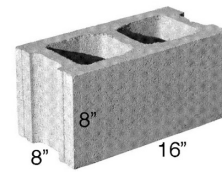
(Equation 9-12) for $h/r > 99$

$$P_n = 0.80 \left[0.80 A_n f'_m \left(\frac{70r}{h} \right)^2 \right]$$

Masonry Strength

TMS 602 – Table 2 – s18

Masonry strength, f_m , based on unit strength, f_u , and mortar type M, S or N



Concrete Masonry

Table 2 — Compressive strength of masonry based on the compressive strength of concrete masonry units and type of mortar used in construction

Net area compressive strength of concrete masonry, psi (MPa) ¹	Net area compressive strength of ASTM C90 concrete masonry units, psi (MPa)	
	Type M or S mortar	Type N mortar
1,750 (12.07)	---	2,000 (13.79)
2,000 (13.79)	2,000 (13.79)	2,650 (18.27)
2,250 (15.51)	2,600 (17.93)	3,400 (23.44)
2,500 (17.24)	3,250 (22.41)	4,350 (28.96)
2,750 (18.96)	3,900 (26.89)	----
3,000 (20.69)	4,500 (31.03)	----

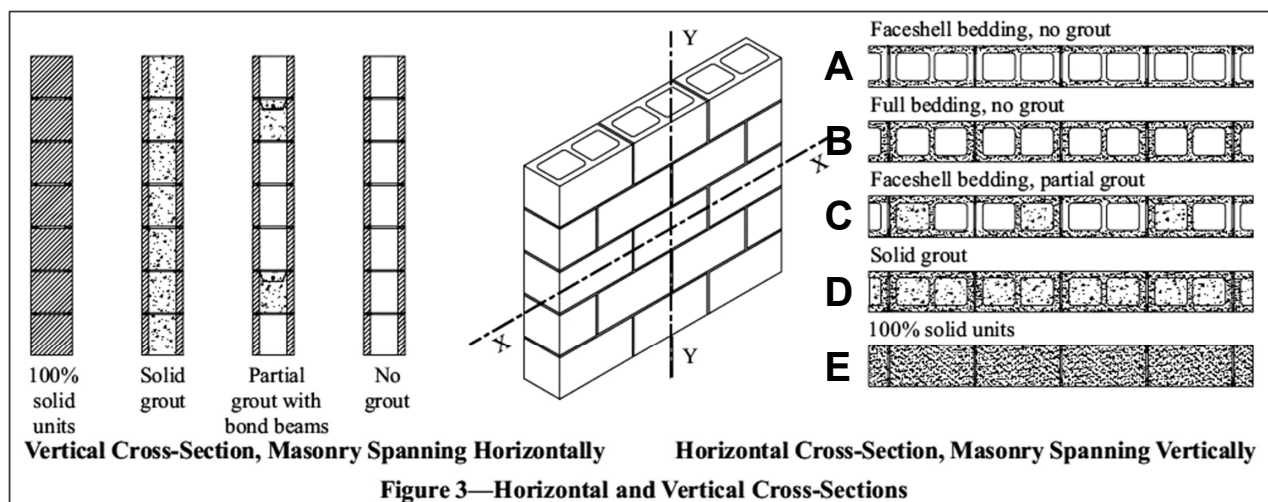
¹ For units of less than 4 in. (102 mm) nominal height, use 85 percent of the values listed.

Reinforced Masonry Analysis

for axial compression using TMS 402 (2016)

Strength Design – **non-reinforced**

Section Properties of Concrete Masonry Walls TEK 14 – 1B



Reinforced Masonry Analysis

for axial compression using TMS 402 (2016)
Strength Design – **non-reinforced**

Section Properties of Concrete Masonry Walls TEK 14 – 1B

Table 3—8-inch (203-mm) Single Wythe Walls, 1¼ in. (32 mm) Face Shells (standard)

3a: Horizontal Section Properties (Masonry Spanning Vertically)					
Unit	Grout spacing (in.)	Mortar bedding	Net cross-sectional properties ^A		
			A_n (in. ² /ft)	I_n (in. ⁴ /ft)	S_n (in. ³ /ft)
A Hollow	No grout	Face shell	30.0	308.7	81.0
B Hollow	No grout	Full	41.5	334.0	87.6
D/E 00% solid/solidly grouted		Full	91.5	443.3	116.3
C Hollow	16	Face shell	62.0	378.6	99.3
↓ Hollow	24	Face shell	51.3	355.3	93.2
↓ Hollow	32	Face shell	46.0	343.7	90.1
↓ Hollow	40	Face shell	42.8	336.7	88.3
↓ Hollow	48	Face shell	40.7	332.0	87.1
↓ Hollow	72	Face shell	37.1	324.3	85.0
↓ Hollow	96	Face shell	35.3	320.4	84.0
↓ Hollow	120	Face shell	34.3	318.0	83.4

Reinforced Masonry Analysis

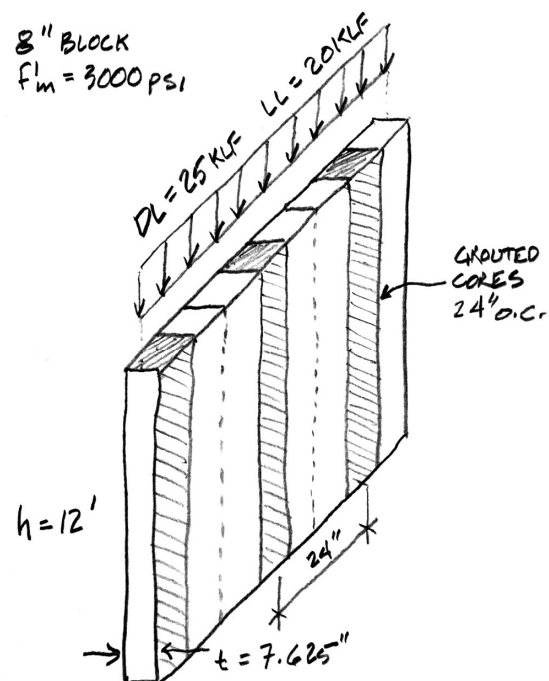
for axial compression using TMS 402 (2016)
Strength Design – **non-reinforced**

Example Problem

Given: geometry: 8" block, grouted 24" o.c.
material: $f'_m = 3000$ psi
Find: check pass/fail for the given loading

1. Determine the masonry strength, f'_m , based on unit strength, f_u , and mortar type. (given $f'_m = 3000$ psi)

Faceshell bedding, partial grout



Reinforced Masonry Analysis

for axial compression using TMS 402 (2016)
Strength Design – **non-reinforced**

2. Find the net area, A_n , and radius of gyration, r_{avg} (see TEK 14-1B)

3a: Horizontal Section Properties (Masonry Spanning Vertically)									
Unit	Grout spacing (in.)	Mortar bedding	Net cross-sectional properties ^A			Average cross-sectional properties ^B			
			A_n (in. ² /ft)	I_n (in. ⁴ /ft)	S_n (in. ³ /ft)	A_{avg} (in. ² /ft)	I_{avg} (in. ⁴ /ft)	S_{avg} (in. ³ /ft)	r_{avg} (in.)
Hollow	No grout	Face shell	30.0	308.7	81.0	41.5	334.0	87.6	2.84
Hollow	No grout	Full	41.5	334.0	87.6	41.5	334.0	87.6	2.84
100% solid/solidly grouted		Full	91.5	443.3	116.3	91.5	443.3	116.3	2.20
Hollow	16	Face shell	62.0	378.6	99.3	65.8	387.1	101.5	2.43
Hollow	24	Face shell	51.3	355.3	93.2	57.7	369.4	96.9	2.53
Hollow	32	Face shell	46.0	343.7	90.1	53.7	360.5	94.6	2.59
Hollow	40	Face shell	42.8	336.7	88.3	51.2	355.2	93.2	2.63
Hollow	48	Face shell	40.7	332.0	87.1	49.6	351.7	92.2	2.66
Hollow	72	Face shell	37.1	324.3	85.0	46.9	345.8	90.7	2.71
Hollow	96	Face shell	35.3	320.4	84.0	45.6	342.8	89.9	2.74
Hollow	120	Face shell	34.3	318.0	83.4	44.8	341.0	89.5	2.76

3b: Vertical Section Properties (Masonry Spanning Horizontally)									
Hollow	No grout	Face shell	30.0	308.7	81.0	40.5	330.1	86.6	2.86
Hollow	No grout	Full	30.0	308.7	81.0	41.5	334.0	87.6	2.84
100% solid/solidly grouted		Full	91.5	443.3	116.3	91.5	443.3	116.3	2.20
Hollow	16	Face shell	60.8	376.0	98.6	71.2	397.4	104.2	2.36
Hollow	24	Face shell	50.5	353.6	92.7	61.0	374.9	98.3	2.48
Hollow	32	Face shell	45.4	342.4	89.8	55.8	363.7	95.4	2.55
Hollow	40	Face shell	42.3	335.6	88.0	52.8	357.0	93.6	2.60
Hollow	48	Face shell	40.3	331.1	86.9	50.7	352.5	92.5	2.64
Hollow	96	Face shell	35.1	319.9	83.9	45.6	341.3	89.5	2.74
Hollow	120	Face shell	34.1	317.7	83.3	44.6	339.0	88.9	2.76

Table 3-8-inch (203-mm) Single Wythe Walls, 1½ in. (32 mm) Face Shells
(standard)

Reinforced Masonry Analysis

for axial compression using TMS 402
(2016) Strength Design – **non-reinforced**

3. Calculate h/r

FROM TEK 14-01B FOR 8" CMU
SINGLE WYTHE
HOLLOW BLOCK
GROUT @ 24" O.C.
FACE SHELL MORTAR

$$A_n = 51.3 \text{ in}^2$$

$$r_{avg} = 2.53 \text{ in}$$

$$h/r = 12 \frac{144''}{2.53''} = 56.92 < 99 \therefore \text{EQ 9-11}$$

4. Choose the axial strength equation, P_n :

If $h/r < 99$ use TMS 402 eq.9-11

If $h/r > 99$ use TMS 402 eq.9-12

(Equation 9-11) for $h/r < 99$

$$P_n = 0.80 \left\{ 0.80 A_n f'_m \left[1 - \left(\frac{h}{140r} \right)^2 \right] \right\}$$

Reinforced Masonry Analysis

for axial compression using TMS 402

(2016) Strength Design – **non-reinforced**

(Equation 9-11) for $h/r < 99$

$$P_n = 0.80 \left\{ 0.80 A_n f'_m \left[1 - \left(\frac{h}{140r} \right)^2 \right] \right\}$$

5. Calculate ϕP_n
where ϕ for axial force = 0.60
(unreinforced)

$$P_n = 0.8 \left[0.8 A_n f'_m \left(1 - \frac{h}{140r} \right)^2 \right]$$

$$P_n = 0.8 \left[0.8 (51.3 \frac{\text{in}^2}{\text{ft}}) (3 \text{ ksi}) \left(1 - \left(\frac{144''}{140(2.53'')} \right)^2 \right) \right]$$

$$P_n = 0.8 \left[123.12 (0.835) \right] = 0.8 [102.77]$$

$$P_n = 0.8 [102.77] = 82.2 \text{ K/ft}$$

$$\phi P_n = 0.6 (82.2 \text{ KLF}) = 49.33 \text{ KLF}$$

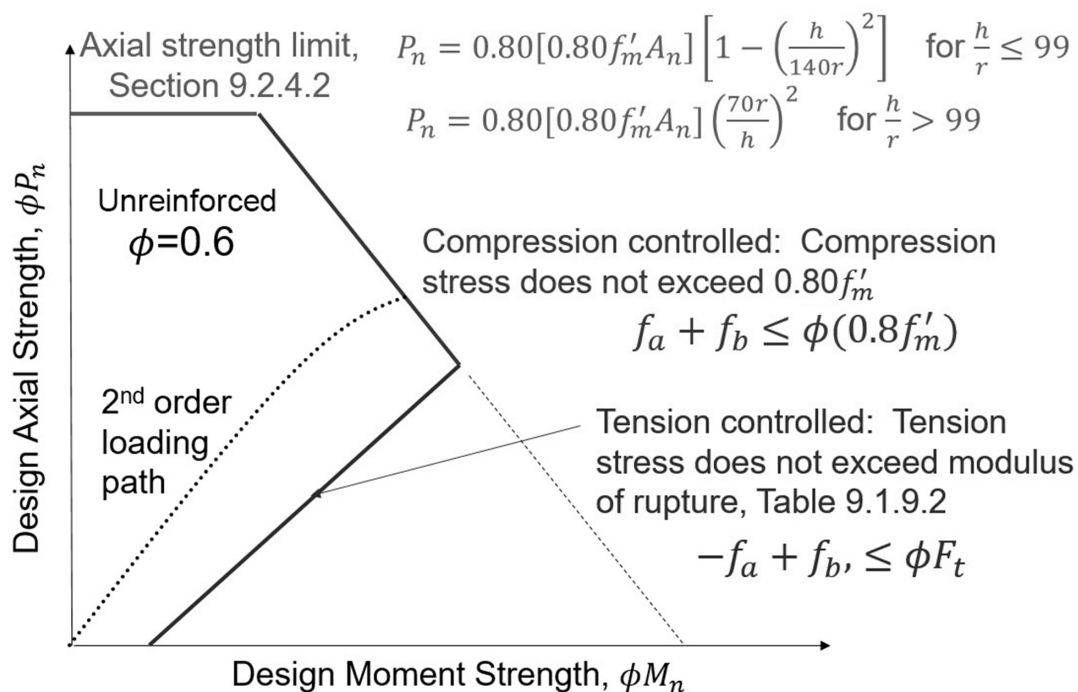
6. Check that ϕP_n is greater than P_u .

$$P_u = 1.2 (25 \text{ KLF}) + 1.6 (20 \text{ KLF}) = 62 \text{ KLF}$$

$$P_u = 62 \text{ KLF} > 49.3 \text{ KLF} = \phi P_n \therefore \text{NG!}$$

TMS 402 Chapter 9

Interaction Diagram



TMS 402 Chapter 9

Moment Magnification

Design for magnified moment: $M_u = \psi M_{u,0}$

$$\psi = \frac{1}{1 - \frac{P_u}{P_e}} = \frac{1}{1 - \frac{P_u}{A_n f'_m \left(\frac{70r}{h} \right)^2}}$$

- Can take $\psi = 1$ if $h/r \leq 45$
- Can take $\psi = 1$ if $45 < h/r \leq 60$ and nominal strength reduced by 10%

Unreinforced Masonry Wall

example

Given:

$h = 12$ ft

$t = 8$ in hollow CMU, $f_u = 2000$ psi

type S mortar, face shell bedding, no grout

Loading:

$D = 1$ k/ft + selfweight of 30 psf

$L_r = 0.5$ k/ft (w/ $e = 3$ in.)

$W = 24$ psf (+ or -)

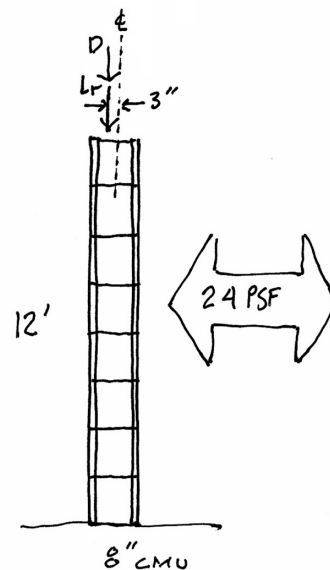
Load Combinations

1.4D

1.2D + 1.6 L_r

1.2D + 1.0W + 0.5 L_r

0.9D + 1.0W



Unreinforced Masonry Wall

example

$$f'_m = 2000 \text{ psi (TMS 602 – table 2 – s18)}$$

Table 2 — Compressive strength of masonry based on the compressive strength of concrete masonry units and type of mortar used in construction

Net area compressive strength of concrete masonry, psi (MPa) ¹	Net area compressive strength of ASTM C90 concrete masonry units, psi (MPa)	
	Type M or S mortar	Type N mortar
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2,000 (13.79)	2,000 (13.79)	2,650 (18.27)
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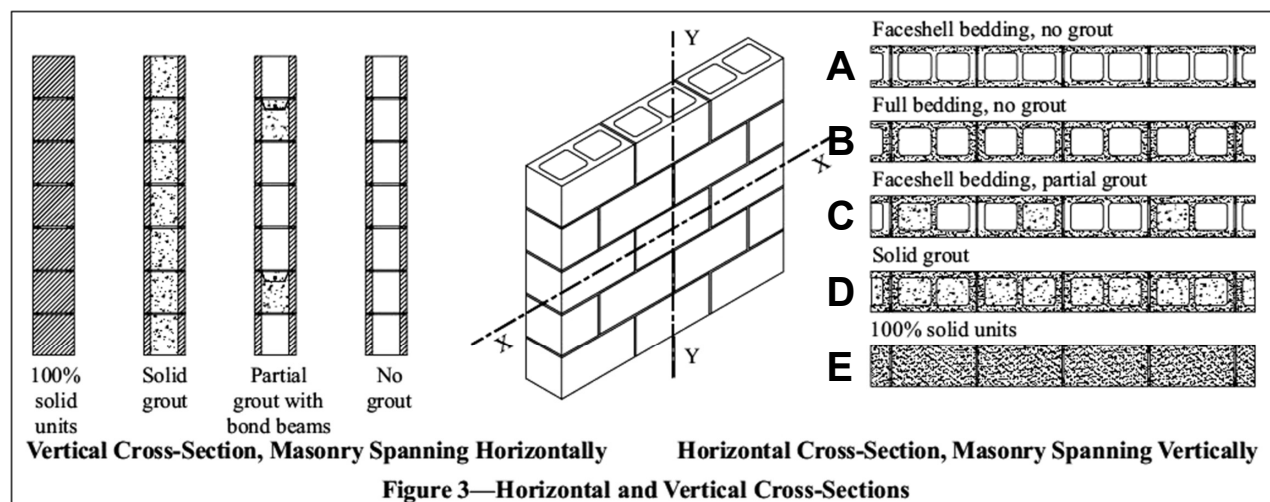
Unreinforced Masonry Wall

example

Section Properties of Concrete Masonry Walls

TEK 14 – 1B

using A – faceshell bedding, no grout



Unreinforced Masonry Wall

example

$$A_n = 30 \text{ in}^2/\text{ft}$$

$$S_n = 81 \text{ in}^3/\text{ft}$$

$$r_{\text{avg}} = 2.84 \text{ in}$$

$$\frac{h}{r} = \frac{144 \text{ in.}}{2.84 \text{ in.}} = 50.7$$

(TEK 14 – 1B)

3a: Horizontal Section Properties (Masonry Spanning Vertically)									
Unit	Grout spacing (in.)	Mortar bedding	Net cross-sectional properties ^A			Average cross-sectional properties ^B			
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Hollow	40	Face shell	42.3	335.6	88.0	52.8	357.0	93.6	2.60
Hollow	48	Face shell	40.3	331.1	86.9	50.7	352.5	92.5	2.64
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Table 3–8-inch (203-mm) Single Wythe Walls, 1½ in. (32 mm) Face Shells (standard)

Unreinforced Masonry Wall example

Load Combinations

1.4D

1.2D + 1.6L_r

1.2D + 1.0W + 0.5L_r

0.9D + 1.0W

Determine the controlling load combination

- A. 1.2D + 1.0W + 0.5L_r Wind pressure (compression on outside)
- B. 1.2D + 1.0W + 0.5L_r Wind suction (compression on inside)
- C. 0.9D + 1.0W Wind pressure (compression on outside)
- D. 0.9D + 1.0W Wind suction (compression on inside)

Load Combination	Tensile Stress (psi)
1.2D + 1.0W + 0.5L _r wind pressure	?
1.2D + 1.0W + 0.5L _r wind suction	?
0.9D + 1.0W wind pressure	?
0.9D + 1.0W wind suction	?

Unreinforced Masonry Wall example

Load Combinations

1.4D

1.2D + 1.6L_r

1.2D + 1.0W + 0.5L_r

0.9D + 1.0W

Determine the controlling load combination

- A. 1.2D + 1.0W + 0.5L_r Wind pressure (compression on outside)
- B. 1.2D + 1.0W + 0.5L_r Wind suction (compression on inside)
- C. 0.9D + 1.0W Wind pressure (compression on outside)
- D. 0.9D + 1.0W Wind suction (compression on inside)

Load Combination	Tensile Stress (psi)
1.2D + 1.0W + 0.5L _r wind pressure	5.9 psi
1.2D + 1.0W + 0.5L _r wind suction	40.4 psi
0.9D + 1.0W wind pressure	12.4 psi
0.9D + 1.0W wind suction	47.6 psi

Unreinforced Masonry Wall example

Given:

h = 12 ft

t = 8 in hollow CMU, f_u = 2000 psi

type S mortar, face shell bedding, no grout

Loading:

D = 1 k/ft + selfweight of 30 psf

L_r = 0.5 k/ft (w/ e=3 in.)

W = 24 psf (+ or -)

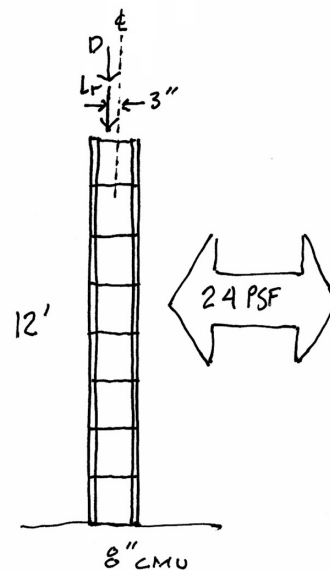
Load Combinations

1.4D

1.2D + 1.6L_r

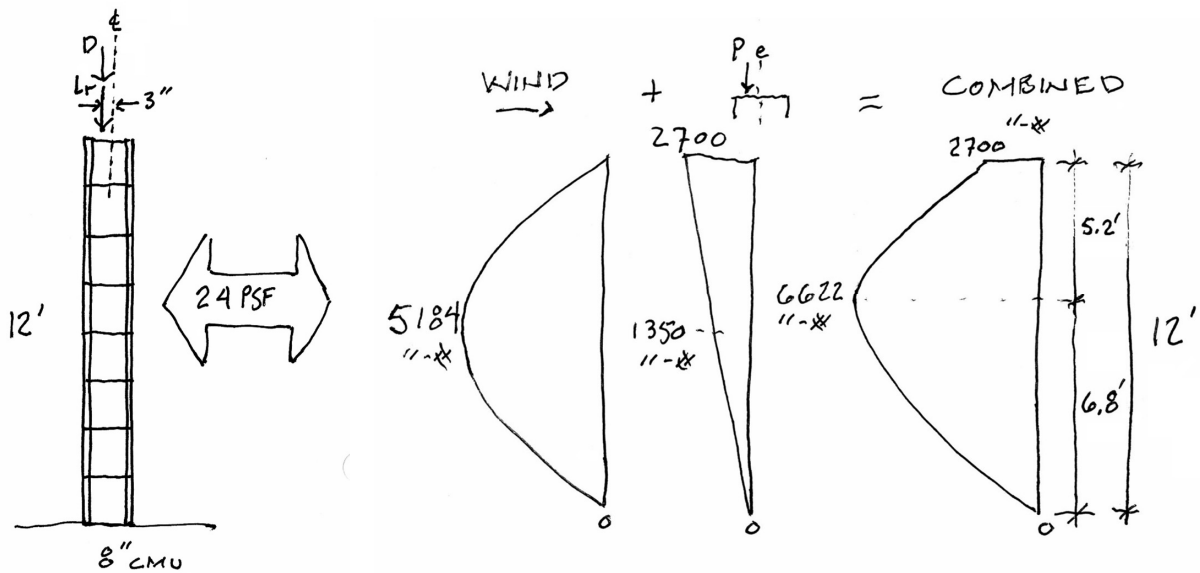
1.2D + 1.0W + 0.5L_r

0.9D + 1.0W



Unreinforced Masonry Wall

example



Unreinforced Masonry Wall example

0.9D + 1.0W - Wind suction (compression on inside face of wall)

Location of max moment, x

$$x = \frac{h}{2} - \frac{M_{uf}}{w_u h} = \frac{144 \text{ in.}}{2} - \frac{2700 \frac{\text{lb} \cdot \text{in.}}{\text{ft}}}{24 \frac{\text{lb}}{\text{ft}^2} (12 \text{ ft})} = 62.6 \text{ in.}$$

Factored axial load, P_u

$$P_u = 0.9 \left(1000 \frac{\text{lb}}{\text{ft}} + 30 \frac{\text{lb}}{\text{ft}^2} \left(\frac{62.6 \text{ in.}}{12 \text{ in./ft}} \right) \right) = 1041 \frac{\text{lb}}{\text{ft}}$$

Moment at top of wall, M_{uf}

$$M_{uf} = P_{uf} e = 0.9 \left(1000 \frac{\text{lb}}{\text{ft}} \right) (3.0 \text{ in.}) = 2700 \frac{\text{lb} \cdot \text{in.}}{\text{ft}}$$

Maximum combined moment, $M_{u,0}$

$$\begin{aligned} M_{u,0} &= \frac{M_{uf}}{2} + \frac{w_u h^2}{8} + \frac{M_{uf}^2}{2w_u h^2} \\ &= \frac{2700 \frac{\text{lb} \cdot \text{in.}}{\text{ft}}}{2} + \frac{24 \frac{\text{lb}}{\text{ft}^2} (12 \text{ ft})^2 \left(12 \frac{\text{in.}}{\text{ft}} \right)}{8} + \frac{\left(2700 \frac{\text{lb} \cdot \text{in.}}{\text{ft}} \right)^2}{2 \left(24 \frac{\text{lb}}{\text{ft}^2} \right) (12 \text{ ft})^2 \left(12 \frac{\text{in.}}{\text{ft}} \right)} \\ &= 1350 + 5184 + 88 = 6622 \frac{\text{lb} \cdot \text{in.}}{\text{ft}} \end{aligned}$$

Unreinforced Masonry Wall example

0.9D + 1.0W - Wind suction (compression on inside face of wall)

9.2.4.3 P-Delta effects

9.2.4.3.1 Members shall be designed for the strength level axial load, P_u , and the moment magnified for the effects of member curvature, M_u .

9.2.4.3.2 The magnified moment, M_u , shall be determined either by a second-order analysis, or by a first-order analysis and Equations 9-13 and 9-14.

$$M_u = \psi M_{u,0} \quad (\text{Equation 9-13})$$

$$\psi = \frac{1}{1 - \frac{P_u}{A_n f'_m \left(\frac{70r}{h} \right)^2}} \quad (\text{Equation 9-14})$$

9.2.4.3.3 A value of $\psi = 1$ shall be permitted for members in which $h/r \leq 45$.

Moment Magnifier:
$$\psi = \frac{1}{1 - \frac{P_u}{A_n f'_m \left(\frac{70r}{h} \right)^2}} = \frac{1}{1 - \frac{1041 \frac{lb}{ft}}{(30 \frac{in.^2}{ft})(2000 psi) \left(\frac{70 \cdot 2.84}{144} \right)^2}} = 1.01$$

Unreinforced Masonry Wall example

0.9D + 1.0W - Wind suction (compression on inside face of wall)

Moment Magnifier:
$$\psi = 1.01$$

Compression Stress:
$$\frac{P_u}{A_n} + \frac{\psi M_{u,0}}{S_n} = \frac{1041 \frac{lb}{ft}}{30 \frac{in.^2}{ft}} + \frac{1.01 \left(6622 \frac{lb \cdot in.}{ft} \right)}{81.0 \frac{in.^3}{ft}} = 34.7 + 82.6 = 117.3 \text{ psi}$$

Nominal Strength = $0.8(2000 \text{ psi}) = 1600 \text{ psi}$
(f'm)

Design Strength = $0.6(1600 \text{ psi}) = 960 \text{ psi}$ **OK**

Tension stress:
$$+\frac{P_u}{A_n} - \frac{\psi M_{u,0}}{S_n} = +34.7 - 82.6 = 47.9 \text{ psi tension}$$

Nominal Strength = 51 psi
(f_r)

Design Strength = $0.6(51 \text{ psi}) = 30.6 \text{ psi}$ **NG!**

Unreinforced Masonry Wall example

0.9D + 1.0W - Wind suction (compression on inside face of wall)

What to do to make wall work? (short of reinforcing wall)

1. Increase wall size, say to 12 in. ($S_n = 139.6 \text{ in}^3/\text{ft}$). Maximum tensile stress is 12.7 psi.
2. Grout wall. ($w\text{-wall} = 75 \text{ psf}$; $A_n = 91.5 \text{ in}^2/\text{ft}$; $S_n = 116.3 \text{ in}^3/\text{ft}$; $f_r = 163 \text{ psi}$) Maximum tensile stress of 45.3 psi is less than design stress of $0.6(163) = 97.8 \text{ psi}$
3. Use Portland cement/lime or mortar cement (modulus of rupture is 84 psi). Maximum tensile stress of 47.2 psi is less than design stress of $0.6(94) = 50.4 \text{ psi}$
4. Use pilasters